



Peer-to-Peer Systems and Security IN2194

Chapter 1 Peer-to-Peer Systems 1.3 Structured Networks

Prof. Dr.-Ing. Georg Carle
Dipl.-Inform. Heiko Niedermayer



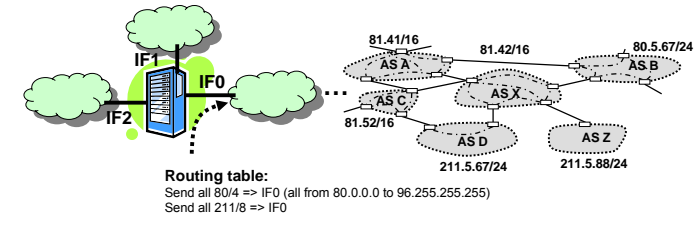
- Structured Networks
- Consistent Hashing
- Common API, KBR, DHT
- Strategies in structured networks
- Structured networks



- In unstructured networks we have to search all over the network for a node or item as we do not know where it is.
- Wouldn't it be better to be able to simply say "Ah, to node A, go this way!" Yes, it would.

Usually, this problem is separated into

- Routing
 - The task to find a way on a network is called routing. The routing table is created using the routing protocol which gathers information about the network and then computes the best paths.
 - Routing protocol => routing table
- Forwarding
 - For a packet that has to be sent or that arrives at an intermediate node (router) the node directly knows the next hop where to send it to. Usually, this is solved using a routing table that stores this information.

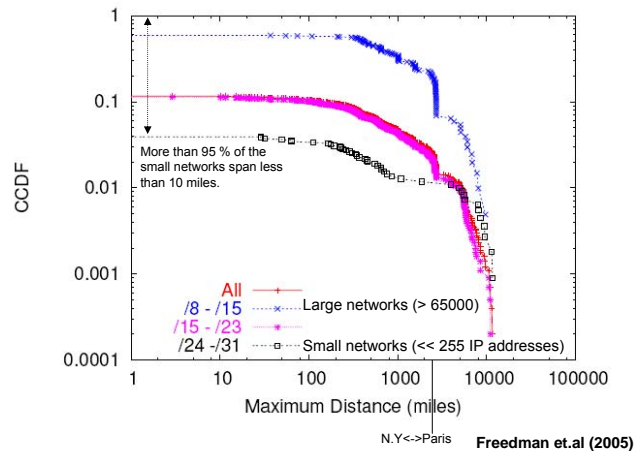


Scalability of the Internet Routing

- The Internet itself is not structured (no predefined structure!).
- The Internet is divided into Autonomous Systems (AS) that own a certain part of the IP address space.
 - After applying for an address space (at one of the registries, e.g. RIPE) the addresses are manually set, but the routing is automated using routing protocols.
 - Distant computers only need to know the way to the AS.
 - Geographically close ASes often have close IP ranges.
- Consequences
 - IP addresses are not purely random, but cluster in certain areas. Due to this, we can group together many addresses in only one routing table entry.
 - Thus, routing tables still scale, even in the core network.

Routing on the Internet

- Geographic diversity of IP ranges



Routing on the Internet and its relation to P2P

But here is the problem with unstructured overlay networks: If we introduce a routing protocol like in the Internet, we have randomly distributed addresses and cannot group them efficiently. The routing tables would not scale.

→ We need to find a way to cluster nodes with similar IDs in the Peer-to-Peer network.

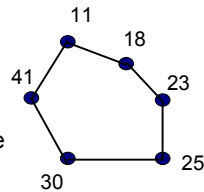
Structured Peer-to-Peer

- Structured Peer-to-Peer networks impose the constraint of a structure onto the Peer-to-Peer network.
- Each node is either not in the network or in a predefined position based on its node ID and given by the form of the structure.

Examples for structures

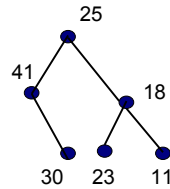
Ring

- Each node knows successor and predecessor.
- Sending a message
 - Unless the node is the target, forward the message to the successor



Tree

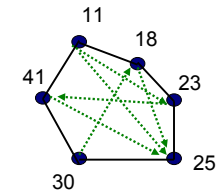
- Each node knows its parent and child nodes
- Sending a message
 - Up the tree if you are in a wrong subtree
 - Down the tree if you have the correct subtree as child
- This is not the way the tree-based DHTs operate!



Making structures efficient

Local connectivity

- Neighbors in the structure ensure basic connectivity and clustering of similar IDs in one region.
- Connecting to more neighbors increases stability as nodes may leave at any time and the structure has to be maintained.

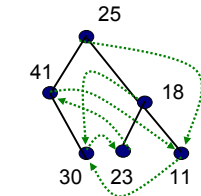


How long does a packet travel?

- In the ring $O(n)$.
- In the tree $O(n)$ unbalanced and $O(\log n)$ balanced.

Long-distance links / Shortcuts

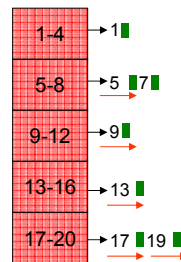
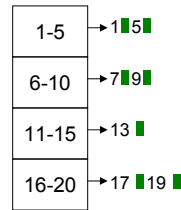
- To reduce the diameter, introduce a set of long-distance links at each node.
- If we use the picture of clusters of nodes that have similar IDs, these links efficiently interconnect these clusters.



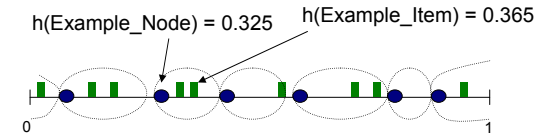
Consistent Hashing

Hash Table

- n slots (nodes) that are used to store k elements
- The n slots contain an equal share of the index space.
- Features
 - Store elements, efficient amortized lookup in $O(1)$
 - $h(\text{element})$ determines slot
- Hash function h
 - uniform: all slots are equally likely
 - universal: propability of two hashes to be equal is $1/n$
- What about adding or removing a slot?
 - Need to completely repartition the hash table.
- Can we avoid repartitioning?
 - Yes → Consistent Hashing.



Consistent Hashing



Consistent Hashing

- Approach to manage nodes and items.
 - Originally developed for organizing distributed webcaches.
 - Circular ID space $[0, 1)$
 - Map all nodes to unit interval $[0, 1)$
 - Map all items to unit interval $[0, 1)$
 - Assign items to nodes from their ID to the ID of their successor
 - nodes responsible for $[\text{node_ID}, \text{successor_ID})$
 - Allows to add / remove nodes without repositioning of all nodes.
- Nodes and data share same ID space.

Consistent Hashing – Theory – Load Balancing

Theorem „Consistent Hashing“

For any set of N nodes and K items, with high probability:

- Each nodes is responsible for at most $(1+\epsilon)\frac{K}{N}$ items ($\epsilon = \log n$ for consistent hashing in the way we described it).
- When an (N+1)st node joins or leaves the network, responsibility for only $O(K/N)$ items changes.

Distributed Hash Tables

Distributed Hash Table (DHT)

- A Distributed Hash Table is a structured Peer-to-Peer system that provides hash table functionality.
 - Nodes and items share a common flat address space.
 - Nodes are responsible for certain parts of the address space.
 - Association of items and nodes may change due to the dynamics of the network.
 - Lookup of an item = routing to responsible node
 - Storage of an item = lookup responsible node and then use a store command to store the item
 - Usually, the DHT stores only reference pointers to sources of an item and not the item itself, e.g. „File XYZ.mpg can be found on 132.3.4.5:12345 and 55.65.3.4:12345.“
- The terms „Structured Peer-to-Peer“ and „DHT“ are often used as synonyms.

Key-Based Routing

DHT and Routing

- A hash table is an application where one can store and retrieve data.
- DHTs need Key-Based Routing for their operations.

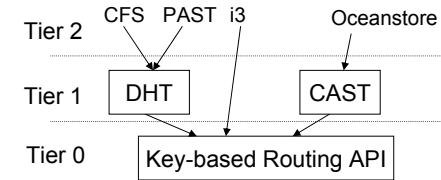
Key-Based Routing (KBR)

- Route and deliver messages to a key.
- The key is represented by the node that is responsible for the key.
- KBRs are usually structured networks.
- Most DHT proposals describe a Key-Based Routing system.

Identifier-Based Routing

- Like KBR, but to node with given ID.
 - Delivery fails if node does not exist.

Common API – Abstractions and APIs



Common API

- Idea to represent a standard set of functions with well-defined semantics to ease the development of Peer-to-Peer applications.
 - No widespread use, except for Freepastry.
- Differentiate between different layers, e.g. DHT and KBR.
- Example APIs
 - Key-based Routing API
 - Functionality to route and deliver messages to keys.
 - DHT API
 - Hash table functionality

Key-based Routing API – Data Types

Data Types

- key
 - 160 bit string
- nodehandle
 - Encapsulates the transport address and nodeID of a node
 - *NodeID* is of type key.
- msg
 - Messages contain data of arbitrary length.

Conventions

- For read-only parameters: $\rightarrow p$
- For read-write parameters: $\leftrightarrow p$
- Ordered set p of type T : $T[] p$
- Root of a key = responsible node of key

Key-based Routing API – Routing Messages

Routing messages

- `void route(key \rightarrow K, msg \rightarrow M, nodehandle \rightarrow hint)`
- Send msg to root of key K.
- hint is an optional proposal for the next hop
- Either K or hint may be null
- `void forward(key \leftrightarrow K, msg \leftrightarrow M, nodehandle \leftrightarrow nextHopNode)`
- Upcall to the application
- Initiated before forwarding M
- Application may modify the message and parameters.
- `void deliver(key \rightarrow K, msg \rightarrow M)`
- Upcall to the application.
- Invoked on the node that is root for K when M arrives.



Key-based Routing API – Routing State Access

Routing State Access

- `nodehandle[] local_lookup(key → K, int → num, boolean → safe)`
 - Returns upto num nodes that can be used as next hops to K.
 - `safe == true` means that the fraction of faulty nodes in the list should not be higher than the fraction in the overlay
- `nodehandle[] neighborSet(int → num)`
 - Returns upto num nodes of the neighbors in the ID space.
- `nodehandle[] replicaSet(key → k, int → max_rank)`
 - Returns ordered set of nodes for replicas of key k.
 - `max_rank` limits the size of the replica set.
- `void update(nodehandle → n, boolean → joined)`
 - Upcall to application to inform about join or leave of node n.
- `boolean range(nodehandle → N, rank → r, key ⇔ lkey, key ⇔ rkey)`
 - Determines key range of node N
 - The rank r determines keys ranges for which N.
 - In case of multiple ranges, the clockwise-closest to lkey is determined.
 - The return value is true if a range could be determined.



DHT API

DHT API

- `put(key,data)`
- `remove(key)`
- `value = get(key)`

Application

DHT

Key-based Routing API

DHT API with KBR API functions

- PUT
 - Send a message with the put information to the root of the key.
 - No need for a hint (`==` next hop)
 - `route(key,[PUT,value,S],null)`
- GET
 - The requesting node uses route to find the root, the root returns the value directly using the hint option.
 - `route(key,[GET,S],null)`
 - `route(null,[value,R],S)`



Structured Key-based Routing

Designing a structured KBR

1. Cluster nodes with similar IDs
 - IDs
 - Metric for IDs
 - Connect neighbors and neighboring clusters
2. Speed-up
 - Connect distant clusters
 - Know more nodes or ask more nodes
3. Robustness
 - Know more nodes
 - Maintenance

KBRs differ in

- Topology
- Maintenance
- Lookup strategy / Message Forwarding



Topology and Maintenance

Topology

- Structure of the graph and embedding of IDs
 - Major issues in the next slides.

Maintenance

- Check if other nodes still exist.
 - Heartbeat messages, etc.
 - If not, repair the network.
- Check if structure is still correct.
 - If not, repair the network.
- Multiple nodes per direction / buckets
 - Know multiple nodes, so that failures can be circumvented once a packet needs to travel in this direction.
- ...

Lookup / Message Forwarding

Lookup strategy

□ Recursive

- Lookup is forwarded though the network.
- Answer may be sent back directly to source (standard) or through a path in the network.
- Pro: uses existing connections
- Con: message loss / failures harder to detect

□ Iterative

- Nodes are either the target or reply with next hop list.
- The source does the lookup itself.
- Pro: source has to work, source detects failures
- Con: more messages, always connection setups

Lookup robustness and speed-up

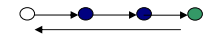
□ Concurrent lookup

- Ask k neighbors to forward or answer the query.
- If less than k-1 nodes/paths fail or are slow, still one will answer in time.

□ Caching of short-cuts and content

- Cache target or intermediate nodes for future lookups.

recursive, direct answer



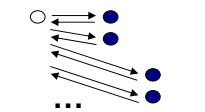
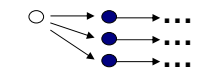
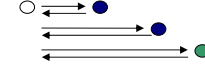
recursive, same path back



recursive, lookup back to source



iterative



The Content-Addressable Network (CAN)

The Content-Addressable Network (CAN)

□ Identifier space: d-dimensional torus

□ Management of identifiers

- A node owns a zone of which its identifier is a member.

□ Graph Embedding

- For each 2d directions, link to the owner of a neighbor zone in that direction.

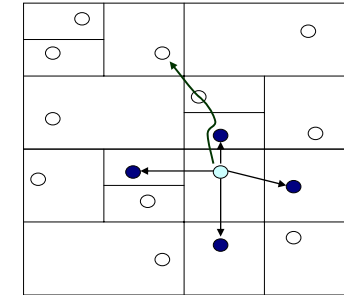
□ Routing Strategy

- Select as next hop the neighbor closest to the target (Eukclidean distance).

□ Maintenance

□ Join

- A nodes selects a random point and routes to that point.
- The zone is then split into two equal parts.



The Content-Addressable Network (CAN)

The Content-Addressable Network (CAN) – Results

□ State per node: $O(d)$

□ Average path length: $O(dn^{\frac{1}{d}})$

□ Dimensions d

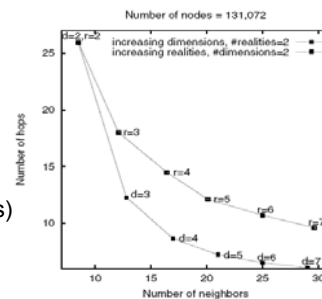
- Increase in d decreases path length and increases fault tolerance.

□ Realities r

- Idea: Run r CANs (with different hash functions for the mapping of nodes and items) in parallel with same nodes and data.
- Results: With respect to path lengths, increase in dimension is better.

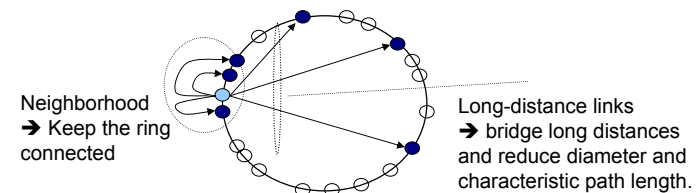
□ Idea: Allow p peers per zone

- Avg. path length reduced by factor $O(p)$.
- Per-hop latency can be reduced as links with lowest latency can be selected in each direction.
- Increase in p, increase in fault tolerance.



Ratnasamy et al (2001)

Ring-based Topology



Ring-based Topology

□ Nodes organize in a Ring.

□ Links

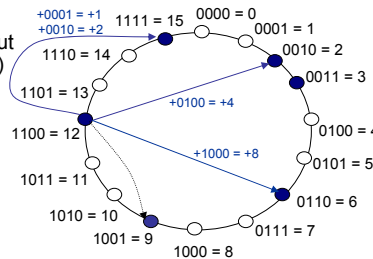
- To neighbors in the ring for stability and basic connectivity.
- Long-distance links to achieve efficient routing.

□ Examples

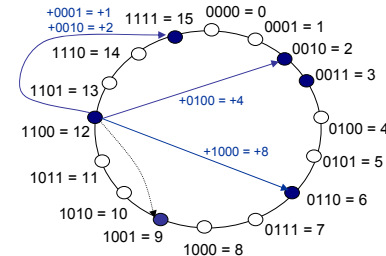
- Chord
- Symphony (embeds a symmetric small-world topology)

Chord

- Identifier space $[0, 2^m - 1]$, usually $m=160$.
- Mapping
 - proposed to use hash function $\text{sha1}(\cdot)$, e.g. $\text{node_ID} = \text{sha1}(\text{node_IP})$.
- Management of identifiers
 - A node is responsible for the interval $(\text{predecessor_ID}, \text{node_ID}]$
 - Thus, the successor of an ID is responsible for the ID.
- Graph Embedding
 - Neighbor set
 - Successor and predecessor (required, but predecessor only used for maintenance)
 - K successors (optional)
 - **Finger table** (Long distance links)
 - Link to node responsible for **node_ID + 2ⁱ** with $i=1..160$
 - These links are thus in exponential distance over the link index i .

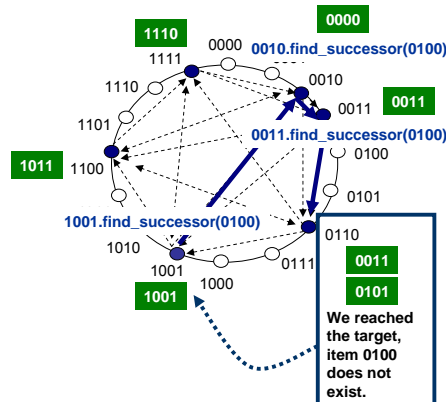


- Routing strategy
 - Greedy, goal is to find the successor of an ID.
- Maintenance
 - Join & Stabilization will be discussed on the next slides.



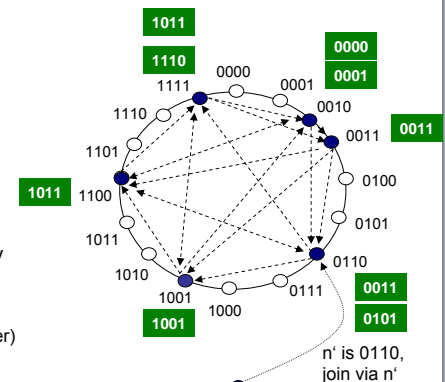
Lookup

- Goal: Find successor(ID)
- Method
 - Node n either initiates or receives the query. If n is $\text{successor}(\text{ID})$, then we reached the target.
 - IF $\text{successor}(n) == \text{successor}(\text{ID})$ THEN
 - Forward to $\text{successor}(n)$.
 - ELSE
 - The next hop is the **closest preceding finger n'** of ID in the finger table of node n .
 - Call $n'.\text{find_successor}(\text{ID})$



Join

- Node n wants to join the network
 - n_ID is hash of its IP address (or randomly selected)
- n contacts n' with n' already in the network
 - n' has been found via some bootstrapping mechanism
 - If no node exists, n starts a new empty network.
 - n uses n' to build its finger table
 - n' does the lookups for $\text{successor}(\text{finger})$
- n contacts its successor s , they divide the interval and n copies the data it is responsible for from s .
- n then contacts its predecessor and the predecessors of IDs that are likely to be required to link to n ($\rightarrow \text{ID} - 2^i$).



$\text{successor}(1100+1) \rightarrow 1111$
 $\text{successor}(1100+2) \rightarrow 1111$
 $\text{successor}(1100+4) \rightarrow 0010$
 $\text{successor}(1100+8) \rightarrow 0110$
 $\text{predecessor}(1100) \rightarrow 1001$

Chord – Stabilization

Stabilization

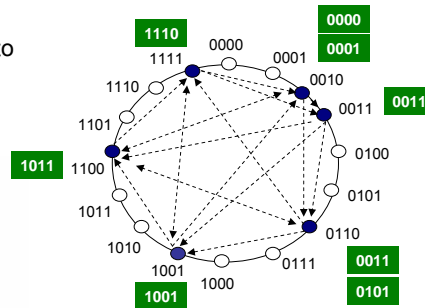
- The stabilization is used to correct and maintain the finger tables. The goal is to converge to the correct fingers despite changes in the network.

□ Pseudocode

```
// periodically verify n's immediate successor,
// and tell the successor about n.
n.stabilize()
  x = successor.predecessor;
  if (x ∈ (n, successor))
    successor = x;
    successor.notify(n);

// n' thinks it might be our predecessor.
n.notify(n')
  if (predecessor is nil or n' ∈ (predecessor, n))
    predecessor = n';

// periodically refresh finger table entries.
n.fix_fingers()
  i = random index > 1 into finger[];
  finger[i].node = find_successor(finger[i].start);
```



Chord – Failure and Replication

Failure of a node

- Maintain a successor list with r successors
- Use successor list to handle the failure / leave of successor
- In the time from failure till stabilization finished, proposed to introduce timeout and use a less-optimal node or other successor as next hop.

Replication

- Store items also on the r successors
- Has to be done by higher layer software though as Chord only does the Key-Based Routing part.

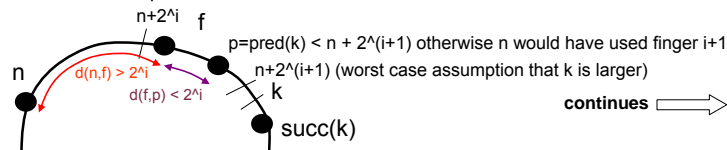
Chord – Theory – Lookup

Theorem (Chord Lookup)

With high probability, the number of nodes that has to be contacted to find a successor of an ID k in an N node Chord network is $O(\log N)$.

Proof

- Suppose, node n wishes to resolve query for successor of k. Let p be the node that immediately precedes k.
- If $n \neq p$ then
 - n forwards the query to the closest predecessor of k
 - Suppose that p is in the i-th finger interval of n and that this finger is f.
 - $d(n, f) > 2^{2^i}$ and that $2^{2^i} > d(f, p) \rightarrow d(n, p) = d(n, f) + d(f, p) > 2 d(f, p)$
 - Thus, the distance is at least halved in each step.
 - As the distance is at most 2^{2^m} , the number of steps to p is limited by m. k can then be found in m+1 steps.



Chord – Theory – Lookup

- Now, we consider node n and item k to be random. We show that w.h.p. the number of forwardings will be $O(\log N)$.
 - After $\log N$ forwardings distance was at least halved $\log N$ times. Thus, the distance will be reduced to at most

$$2^m \left(\frac{1}{2} \right)^{\log N} = \frac{2^m}{N}$$

- The expected number of nodes in that area is 1 and it is $O(\log N)$ w.h.p.
 - The latter follows from using the Chernoff bound on N Bernoulli experiments if node is in or not in the interval (hit with probability $1/N$).
 - With high probability means that the probability that the assumption is wrong converges to 0 with $1 / (\text{a polynomial})$ or alternatively that there is a constant c so that the error probability is bounded by $\frac{1}{N^c}$.
- Thus, w.h.p. we need at most $O(\log N)$ more steps.
- Thus, w.h.p. we end up with $O(\log N)$ nodes contacted. ■

Theorem (Chord Join)

With high probability, each node joining or leaving an N node Chord network will use $O(\log^2 N)$ messages to re-establish the Chord routing invariants and finger tables.

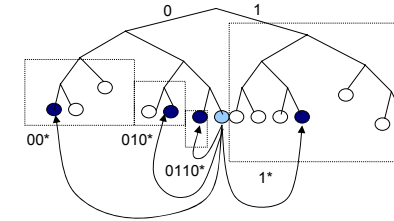
Proof sketch

The basic idea is to show the following.

Once the new node has contact to its rendezvous-peer its finger table has to be created. This consists w.h.p. of $O(\log N)$ entries that need $O(\log N)$ lookup each, thus ending up at $O(\log^2 N)$.

Similar assumptions hold for the links to the new node that have to be modified.

The data transfer of items is not part of the theorem. Only one node (the predecessor) has to be contacted for the transfer. ■



- Also called Prefix-based routing or Plaxton's Mesh
- Idea
 - Maintain at least one link to each area with a prefix that is a shortest string not prefix to the node_ID
 - Example
 - Node_ID = 011010
 - Links to 1*, 00*, 010*, 0111*, 01100*, 011011
- Examples
 - Pastry
 - Tapestry

Pastry

- Identifier space $[0, 2^m - 1]$, usually $m=128$.
- Management of identifiers
 - The numerically closest node is responsible for a key.
- Graph Embedding
 - Routing Table R
 - Let b bits be a **character**. The ID is then represented as a string of b -bit characters.
 - Idea: for each shared prefix length, have a link to one node in each interval with a common prefix of that length and a different next character.
 - Example: Node ID = 1023

	0	1	2	...	$f = 2^b - 1$	Next character after common prefix
0	-0-231	-----	-2-333		-f-023	
1	-----	1-1-23	1-2-30		1-f-01	
2	10-0-1	10-1-1	-----		10-f-3	
...	

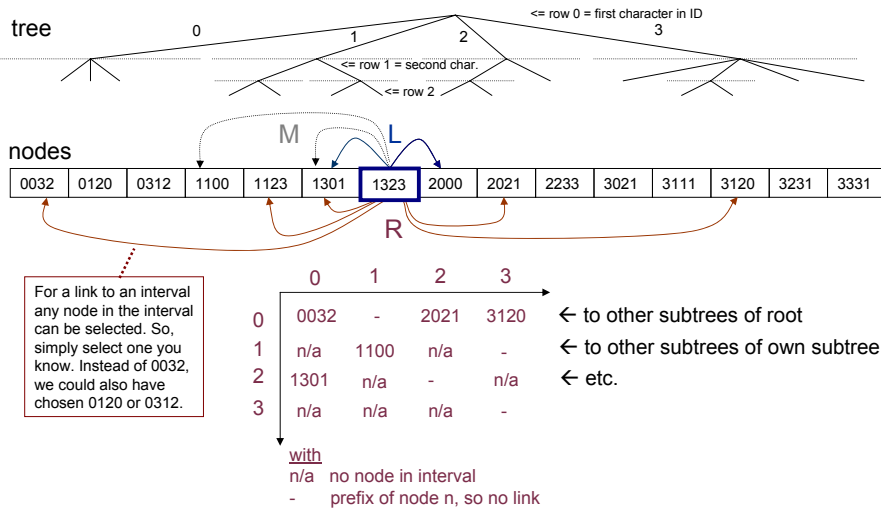
m/b
Shared Prefix length

This is the table of the IDs that we use to select the next hop ID, for each ID there is also the information IP:Port

- Leaf set L
 - Link to $L/2$ closest numerically smaller nodeIDs and to $L/2$ closest numerically larger nodeIDs
 - L usually 2^b or $2^{(b+1)}$
- Neighbor set M
 - Maintain a set of nodes that are the closest known nodes according to some numeric proximity measure (IP hops or RTT)
 - [M] usually 2^b or $2^{(b+1)}$
- Routing strategy
 - Let ID be the target and the current node n is not responsible
 - IF ID is within the leaf set THEN
 - Forward to closest node in leaf set
 - ELSE
 - Use routing table and forward message to a node that shares a longer common prefix with ID than n
 - If that is not possible use a node from L, R or M that does not share a longer prefix with ID, but is numerically closer to ID than n

Pastry - Routing

- Let $b=2$ (2-bit char.) and $m=8$ (4 characters), $|L| = 2, |M|=2$, node $n=1323$



Pastry - Join

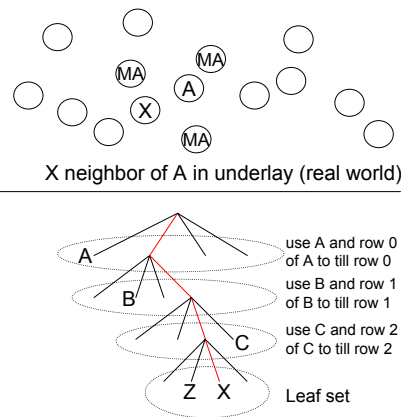
Join

- Say, node X wants to join.
- X knows a near Pastry node A according to the proximity metric
 - X uses some external information (say WWW) to find such a node
- X first selects a node ID, we call it X_ID .
- X sends a join message to A containing X_ID .
- A forwards the join message towards X_ID .
 - All nodes on the path including A reply to X with their state tables (R,M,L)
 - Z is the node responsible for X_ID
 - X may ask additional nodes
- X informs all nodes that need to know of X's arrival.

continues →

Pastry - Join

- X uses the acquired information to build its state tables
 - Neighbor List $M_X = M_A$
 - as X and A are close in the underlay
 - Leaf set $L_X = L_Z$
 - as X and Z are direct neighbors
 - Routing table
 - Row 0: $0_X = 0_A$
 - Row i: $i_X = i_Intermediate-Hop_i$
- X sends a copy of its state tables to all nodes in R, M, and L.
 - These nodes will then update their table according to this information.
 - E.g. A should add X to its neighbor list M_A .



Pastry - Locality

Locality

- Unlike most DHTs Pastry directly addresses the problem of locality, i.e. to prefer to have local links than links that cross the planet.
- Locality is measured by proximity metrics, e.g. IP hops.
- The neighbor set of a node holds a knowledge of close nodes according to such a proximity metric.
- Locality through the join process
 - Pastry assumes that a node n that joins the networks, joins via a geographically nearby node A.
 - As this node A already prefers routing table entries with good proximity, the state information of this node A and the other nodes is filled with nodes that are likely to be good nodes according to the proximity measure.
 - Consequence, n is likely to fill its routing table with nodes that are close.

Experimental evaluation

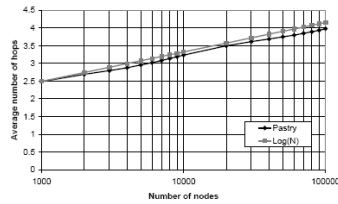


Fig. 4. Average number of routing hops versus number of Pastry nodes, $b = 4$, $|L| = 16$, $|M| = 32$ and 200,000 lookups.

Rowstron & Druschel (2001)

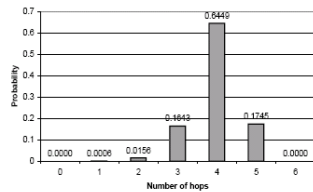
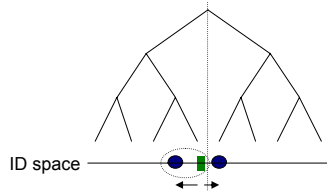


Fig. 5. Probability versus number of routing hops, $b = 4$, $|L| = 16$, $|M| = 32$, $N = 100,000$ and 200,000 lookups.

Rowstron & Druschel (2001)

Discussion

- Routing hops $O(\log_{2^b} n)$
- Node state $O((2^b - 1) \log_{2^b} n)$
- Low overhead for join and leave.
 - Join $O(\log_{2^b} n)$
 - Leave $O(\log_{2^b} n)$



Item ■ is in left subtree.
 Closest node is in right subtree.
 Responsible node is in wrong subtree (→ Leaf set across subtrees).
 → With the XOR metric, however, the item is closer to any node in its subtree than to nodes in other subtrees.

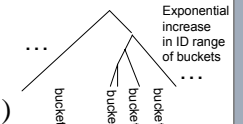
XOR topology

- Closely related to the tree topology
- XOR as distance metric

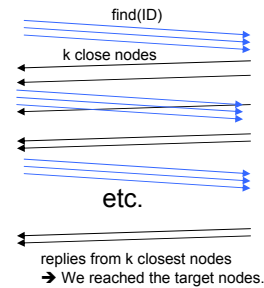
$$d(x, y) = x \oplus y$$
- Advantage of XOR metric
 - Unidirectional, that means that for a given x and D there is only one point y that satisfies $d(x, y) = D$. → Lookups for same key converge to the same path, and thus caching item along this path is good to avoid hotspots.
- Example
 - Kademlia

Kademlia

- Identifier space $[0, 2^m - 1]$, usually $m=160$.
- Mapping
 - proposed to use hash function $\text{sha1}(\cdot)$, e.g. $\text{node_ID} = \text{sha1}(\text{node_IP})$.
- Management of identifiers
 - The responsible node is the closest node to the ID according to XOR metric.
- Graph Embedding
 - k-Buckets
 - For any $0 \leq i < 160$, there is a k-bucket with up to k nodes with $d_{\text{XOR}}(\text{ID}, \text{node_ID}) \in [2^i, 2^{i+1})$
 - A k-bucket contains up to k nodes with their (IP, UDP port, ID).
 - If a k-bucket is full and new node found, the least-recently seen node r is pinged
 - It responds → node r is moved to tail and new node is discarded
 - It does not respond → add the new node to bucket, remove old node r .
 - The strategy motivated by the fact that in many networks nodes that have been in the network for a long time are more likely to stay than young nodes.



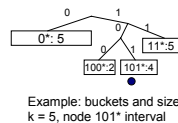
- Routing
 - Greedy according to XOR metric
- Lookup
 - Node
 - The initiator of a lookup asks the alpha closest entries from the bucket for the ID.
 - They return the k-bucket or alternatively the k closest nodes for the query in their buckets.
 - This is repeated, from the nodes received the alpha closest yet unknown nodes are also queried.
 - The lookup terminates when the initiator has replies from the k closest nodes it has seen.
 - Value
 - Analog, but anyone who knows the value does not reply with k nodes, but with the value.



- Storage & Caching
 - To store a value, locate the k closest nodes to the ID via Lookup and then store the value at these nodes.
 - Values are considered softstate and need refreshing.
 - Values are cached at the first node on a path that did not know it.
- Join
 - Node u joins via an existing node w and they add each other to their k-buckets.
 - u performs lookup to its ID
 - u refreshes all k-buckets further away than its closest neighbor.
- Maintenance
 - Refresh k-buckets for which there no contact within a certain time, e.g. an hour
 - Refresh means lookup of random ID in bucket.

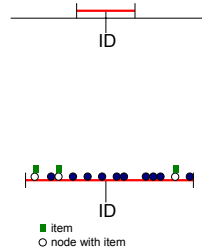
Management of k-buckets

- Kademlia does not use all 160 buckets if they are not full.
- A node starts with one bucket from 00000... to 11111....
- A bucket is split if it contains node and the node knows more than k nodes in the bucket.



Tolerance Zone in KAD (a Kademlia derivative used in filesharing)

- KAD does not route to one exact ID.
- The tolerance zone is a zone around the ID.
 - e.g. first 16 bits in common with ID
- Items are stored on r nodes in its tolerance zone.
 - With r as the number of replicas (with one of them as responsible host).
- Lookup needs to find one node in the tolerance zone that knows the item.
 - Problem that this may not be the node closest to the item ID.
 - Searching necessary in tolerance zone.



The Kad network

- Based on Kademlia and used in clients like aMule, etc.
- „Buddy“ function
 - Firewalled or NATed clients can ask other peers to support them as „buddy“, only one buddy allowed and client waits 5min after firewall check before requesting a buddy.
- 2-layer publishing
 - Meta data (file name, file size, file type, file format, etc.)
 - Keywords are extracted from file name, reference to sourceID stored at keywords (e.g. „P2P Vorlesung“ → keywords „P2P“ and „Vorlesung“)
 - Sources
 - Source published at sourceID = MD4_hash(complete file)
 - Replication
 - Root for an item are nodes in a zone with a given prefix, e.g. of 8 bit. For each write, there is a replication to 11 nodes in the zone.
- Keyword search
 - Lookup for first keyword in search string, rest of the key words are used to filter results
 - No fuzzy queries, range queries, ...

Discussion

- The approach can be extended to work on a base of 2^b .
- Routing hops $O(\log_b n)$
- Node state $O(b \log_b n)$
- Low overhead for join and leave.
 - Join $O(\log_b n)$
 - Leave $O(\log_b n)$
- Kademlia is used in modern Peer-to-Peer systems like BitTorrent and in the Edonkey/Overnet/Kad Network family.
- Resistance against Denial-of-Service attacks
 - Buckets can not be filled with new bogus nodes as long as old nodes in a bucket are still alive.
 - Iterative and parallel lookup makes it hard for an attacker to block queries.

With $m=O(\log(n))$ state and $L=O(\log(n))$ DHTs do not achieve the performance of random graphs. Lets recap the

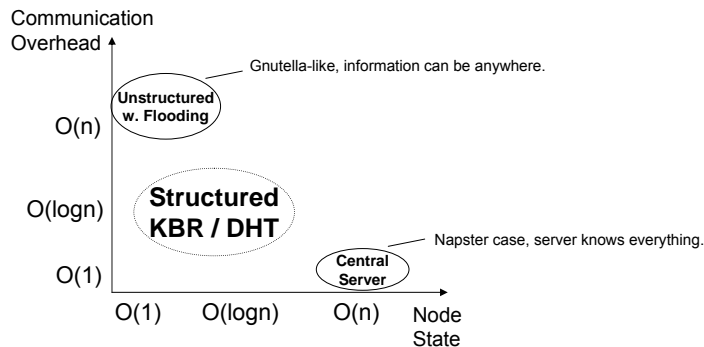
$$L_{random} \sim \frac{\log n}{\log(m/n)} \underset{\substack{m \\ n=const}}{\sim} \log n$$

- ➔ Random graphs achieve $L=O(\log(n))$ with constant degree. This is an average and the $O(\log n)$ we give for the DHTs is a maximum with high probability.
- ➔ Can we build structured networks with constant degree and $O(\log n)$ hops?

We can, even with degree 2, e.g. binary trees, Viceroy (DHT based on butterfly graph), de Bruijn graphs, Kautz graphs, Distance-Halving.

- However, short distances are not for free, constant-degree graphs have longer average paths because they have significantly less links!

- Comparing DHTs with unstructured networks and central servers



Conclusion

- Structured networks
 - Structured Peer-to-Peer networks / DHTs solve the problem to directly find an item or node in a Peer-to-Peer network.
- Key-Based Routing
- Distributed Hash-Table
- The basic idea of the routing of most DHTs is to know more about nodes close in the ID space and to know less about other nodes the further the ID distance is. Still, there is at least some knowledge of nodes in a distant ID space.